# EVERYDAY USES OF MATHEMATICS AND THE ROLES OF A MATHEMATICS TEACHER

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### ABSTRACT:

This paper presents a comprehensive investigation into the role of mathematics in everyday life and the pivotal function of mathematics teachers in fostering mathematical understanding and competence. Mathematics plays a crucial role in everyday life, enhancing decision-making, financial management, problemsolving, and critical thinking. The ubiquitous presence of mathematics in activities such as budgeting, cooking, shopping, and planning underscores its importance. Mathematics is essential for good governance, as it underpins data-driven decision-making, policy formulation, economic planning, and resource allocation. Recommendations for promoting mathematical proficiency include integrating real-world applications into the curriculum, offering professional development for teachers, and encouraging collaborative learning. Such measures can enhance mathematical literacy, contributing to personal development, societal progress, and effective governance. Mathematics, with its rich historical roots stretching back to ancient civilizations, has evolved into a broad discipline encompassing various branches such as arithmetic, algebra, geometry, and calculus. Each branch plays a crucial role in practical applications ranging from personal finance and cooking to navigation and health monitoring. Effective mathematics education, however, hinges on the proficiency and dedication of mathematics teachers who not only impart theoretical knowledge but also cultivate critical thinking and problem-solving skills in their students. To optimize performance in high-stakes assessments like the West African Examination Council (WAEC) Mathematics examination, it is essential to employ diverse instructional strategies, integrate technology, and provide continuous practice and assessment. It is recommended that governments should support teachers through robust remuneration, timely salary payments, and ongoing professional development to sustain motivation and high-quality instruction. Furthermore, the establishment of mathematics laboratories in schools is recommended to enhance practical learning experiences and deepen students' understanding of mathematical concepts. In the realm of governance, mathematics is indispensable for data analysis, policy formulation, and strategic planning. By addressing these areas comprehensively, we can create an educational environment that not only demystifies mathematics and reduces associated phobias but also prepares students to excel academically and apply mathematical principles effectively in their daily lives and future careers.

**Keywords:** Mathematics, Mathematics research, Everyday uses of mathematics, Roles of mathematics teachers, Mathematics laboratory.

### INTRODUCTION

Mathematics has a profound and extensive history, dating back to ancient civilizations that used it for trade, astronomy, and recordkeeping. The Babylonians and Egyptians are known for their early contributions to arithmetic and geometry, which were further developed by the Greeks. Greek mathematicians such as Euclid and Pythagoras laid foundational work in geometry and number theory (Kline, 1990). The evolution of mathematics continued through the Middle Ages with significant advancements in algebra from Islamic scholars like Al-Khwarizmi, and into the Renaissance with figures such as Descartes and Newton, who made strides in calculus and analytical geometry (Struik, 1987).

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Mathematics can be broadly defined as the abstract science of number, quantity, and space, either as abstract concepts (pure mathematics) or as applied to other disciplines such as physics and engineering (applied mathematics). Pure mathematics is concerned with theories and principles without necessarily having any immediate practical application, whereas applied mathematics uses these theories to solve real-world problems (Devlin, 2000). The main branches of mathematics include arithmetic, the study of numbers and basic operations; algebra, which deals with symbols and the rules for manipulating those symbols; geometry, concerned with the properties and relations of points, lines, surfaces, and solids; and calculus, which involves the study of change and motion. Other significant branches include statistics and probability, which deal with data analysis and the likelihood of events, and mathematical logic, which explores the formal principles of reasoning (Stewart, 2012).

The importance of mathematics cannot be overstated. It is fundamental to the sciences and engineering, essential in economics and finance, and increasingly critical in social sciences and humanities. Mathematics provides the tools to model and understand the natural world, to make informed decisions in business and public policy, and to solve complex problems in technology and medicine (Wigner, 1960). Furthermore, it fosters critical thinking, precision, and logical reasoning, skills that are valuable in virtually every aspect of life. Mathematics is characterized by its abstract and logical nature. It seeks to establish truths based on axioms and logical deductions. This precise and systematic approach allows mathematicians to build upon previous knowledge and ensures that mathematical theories are both rigorous and reliable. Despite its abstract nature. mathematics often finds practical applications, demonstrating its versatility and indispensability in various fields (Hardy, 1940).

### MATERIALS AND METHODS Reducing Phobia for Mathematics

Mathematics anxiety is a common issue among students, characterized by feelings of tension, apprehension, and fear that interfere with math performance (Ashcraft, 2002). Reducing this phobia requires a multifaceted approach, encompassing changes in teaching methods, classroom environment, and societal attitudes towards mathematics. One of the most effective strategies to combat mathematics anxiety is to create a supportive and encouraging classroom environment. Teachers play a critical role in this by fostering a positive attitude towards mistakes and challenges. Jo Boaler (2016) emphasizes the importance of promoting a growth mindset in mathematics education. By encouraging students to view challenges as opportunities for growth rather than threats, teachers can help reduce the fear associated with making mistakes. This approach can be reinforced by praising effort and persistence rather than innate ability.

Incorporating a variety of teaching methods can also help to alleviate math anxiety. Differentiated instruction, which tailors teaching methods to the diverse needs of students, can make mathematics more accessible and less intimidating (Tomlinson, 2001). Using visual aids, manipulative, and real-world applications can help students understand abstract concepts more concretely. For instance, employing technology such as interactive math software and online resources can make learning more engaging and interactive (Pierce & Stacey, 2010).

Another crucial aspect is building students' confidence through incremental success. By breaking down complex problems into smaller, manageable steps, students can achieve a sense of accomplishment at each stage. Regular formative assessments can provide feedback and identify areas where students need additional support (Black & Wiliam, 1998). This continuous assessment and feedback loop helps students build their skills progressively, reducing anxiety over time. Parental involvement and support also play a significant role in reducing mathematics anxiety. Parents who display positive attitudes towards mathematics and help their children with mathematics-related activities can significantly influence their children's perceptions and attitudes (Maloney et al. 2015). Workshops and resources aimed at educating parents on how to support their children in mathematics can be beneficial. Professional development for teachers is another vital component. Ensuring that teachers are well-equipped with the latest research-based instructional strategies can enhance their effectiveness in the classroom. Continuous professional development helps teachers stay current with new methodologies and technologies that can make mathematics instruction more effective and less intimidating for students (Guskey, 2000). Governments and educational institutions should also work towards changing societal attitudes towards mathematics. Public awareness campaigns that highlight the importance of mathematics in everyday life and its relevance to various careers can help alter negative perceptions. Celebrating mathematics achievements and presenting mathematics as an attainable and rewarding field can inspire students and reduce the stigma associated with the subject (Hyde, 2007).

Additionally, offering robust remuneration and timely payment of salaries to teachers can motivate them to perform better and invest more effort in reducing mathematics anxiety among students. Motivated teachers are more likely to implement innovative teaching methods and create a positive learning environment, which is crucial for reducing mathematics phobia (Ball, Thames, &

Phelps, 2008). Reducing mathematics phobia requires a comprehensive approach that includes supportive classroom environments, varied teaching methods, parental involvement, professional development for teachers, and societal attitude changes. By implementing these strategies, we can help students develop a positive attitude towards mathematics and reduce the anxiety associated with the subject.

### Everyday Uses of Mathematics

Mathematics is an indispensable tool in everyday life, impacting a wide array of activities from financial planning and cooking to navigation and fitness. Its applications help individuals make informed decisions, optimize their routines, and improve their quality of life. Understanding and utilizing basic mathematical principles can significantly enhance daily efficiency and problemsolving capabilities. Additionally, mathematics teachers play a critical role in preparing students to use math effectively in their daily lives and future careers.

- Budgeting and Personal Finance: Mathematics is crucial in managing personal finances. From calculating expenses to planning savings and investments, basic arithmetic and percentages are essential. For instance, understanding interest rates and loan payments requires a good grasp of mathematics to ensure financial health and prevent debt accumulation (Lusardi & Mitchell, 2011).
- Cooking and Baking: Mathematics plays a significant role in cooking and baking. Recipes often need adjustments based on the number of servings required, which involves multiplication or division. Additionally, measurements of ingredients require conversions between different units, such as ounces to grams or teaspoons to tablespoons (Smith, 2012).
- Shopping for Groceries: Mathematics is used in shopping through price comparisons, discount calculations, and unit pricing. Savvy shoppers use these calculations to determine the best deals and manage their budgets effectively, ensuring they get the most value for their money (Chen et al., 2017).
- Time Management and Scheduling: Mathematics is integral to time management and scheduling. Whether it's allocating specific times for tasks, calculating travel time, or planning a daily schedule, individuals use mathematics to optimize their productivity and ensure timely completion of activities (Covey, 1989).
- Fitness and Health Monitoring: Health and fitness monitoring rely on mathematics. Calculating calories consumed and burned, tracking distances run or cycled, and measuring heart rates all involve mathematical principles. These calculations help individuals maintain or improve their physical health (Jakicic et al., 2018).
- Home Maintenance and Improvement: Mathematics is necessary for home maintenance and improvement projects. From measuring spaces and materials to calculating costs and quantities, homeowners use geometry and arithmetic to ensure successful project completion (McMullen, 2015).
- Navigation and Travel: Navigation and travel extensively use mathematics. Whether using a map, GPS, or planning a trip, understanding distances, travel

times, and fuel consumption involves mathematical calculations, ensuring efficient and accurate travel planning (Montello et al, 2004).

- Digital Technology and Internet Usage: Digital technology and internet usage are built on mathematical algorithms. From data encryption to search engines, the underlying mathematics ensures the functionality, security, and efficiency of online interactions (Zillner, 2013).
- Sports and Games: Mathematics is involved in sports and games through strategies and scoring systems. Understanding probabilities, statistics, and geometrical angles can enhance performance and enjoyment in both playing and watching sports (Thomas, 2003).
- Weather Forecasting: Weather forecasting relies heavily on mathematics. Meteorologists use mathematical models to predict weather patterns, helping people plan their activities and stay safe during adverse conditions (Kalnay, 2003).

### The Roles of a Mathematics Teacher

A mathematics teacher plays a pivotal role in shaping students' understanding and appreciation of mathematical concepts, serving as both an educator and a mentor. Their responsibilities extend beyond simply delivering lessons on topics ranging from basic arithmetic to advanced calculus. They create an engaging and supportive learning environment, assess and provide feedback on student performance, and inspire confidence in students' problemsolving abilities. By developing and updating curriculum materials, guiding students in their academic and career paths, and fostering critical thinking skills, a mathematics teacher not only imparts essential knowledge but also helps cultivate a lasting interest in the subject. Their multifaceted role is crucial in equipping students with the skills and attitudes needed for both academic success and realworld applications of mathematics. Below are some roles of a mathematics a teacher.

- Facilitating Understanding of Mathematical Concepts: Mathematics teachers are essential in helping students grasp complex concepts. They use various instructional strategies to break down difficult topics into understandable parts, ensuring that students build a solid foundation in mathematics. This foundational understanding is crucial for students' future academic and career success (Ball et al., 2008).
- Encouraging Critical Thinking and Problem-Solving Skills: One of the primary roles of a mathematics teacher is to foster critical thinking and problem-solving skills. By presenting students with challenging problems and encouraging them to explore multiple solutions, teachers help students develop the ability to think logically and creatively (Schoenfeld, 2010).
- Creating a Positive Learning Environment: Mathematics teachers are responsible for creating a classroom environment that is conducive to learning. This involves establishing a supportive atmosphere where students feel safe to express their ideas and make mistakes, which is vital for learning and growth (Boaler, 2016).
- Differentiating Instruction to Meet Diverse Needs: Students have varied learning styles and abilities, and

mathematics teachers must differentiate their instruction to meet these diverse needs. This might include using visual aids, manipulatives, or technology to cater to different learning preferences and ensure that all students can access the curriculum (Tomlinson, 2001).

- Assessing Student Understanding and Progress: Regular assessment is a crucial aspect of teaching mathematics. Teachers use formative and summative assessments to gauge student understanding, identify areas of difficulty, and inform their instructional decisions. This ongoing assessment helps ensure that students are progressing as expected (Black & Wiliam, 1998).
- Integrating Technology in Mathematics Instruction: Modern mathematics education increasingly involves the use of technology. Mathematics teachers incorporate tools such as graphing calculators, educational software, and online resources to enhance learning and provide students with valuable digital skills (Pierce & Stacey, 2010).
- **Promoting Mathematical Communication:** Effective communication is key to understanding mathematics. Teachers encourage students to discuss their thinking, explain their reasoning, and justify their solutions. This emphasis on communication helps students clarify their ideas and develop a deeper understanding of mathematical concepts (NCTM, 2000).
- Connecting Mathematics to Real-World Applications: To make mathematics more relevant and engaging, teachers highlight its real-world applications. By demonstrating how mathematical concepts are used in various fields such as engineering, medicine, and finance, teachers help students appreciate the value of mathematics beyond the classroom (Lesh & Doerr, 2003).
- Continuing Professional Development: Mathematics teachers need to stay current with the latest educational research, instructional strategies, and technological advancements. Engaging in continuous professional development helps teachers enhance their teaching practices and improve student outcomes (Guskey, 2000).
- Inspiring a Love for Mathematics: Perhaps one of the most important roles of a mathematics teacher is to inspire a love for the subject. By sharing their passion for mathematics and showing enthusiasm in their teaching, teachers can motivate students to develop a positive attitude towards mathematics and pursue it further in their studies and careers (Hyde, 2007).

# Roles of Mathematics in promoting good governance

Mathematics plays a crucial role in promoting good governance by providing the tools necessary for effective decision-making, transparency, and accountability. Through statistical analysis, data modeling, and quantitative assessment, mathematical techniques enable governments and organizations to make informed decisions, allocate resources efficiently, and evaluate the impact of policies. By employing mathematical principles, leaders can enhance the accuracy of forecasts, improve financial management, and ensure that policies are based on solid evidence rather than speculation. Consequently, mathematics supports the creation of transparent systems and fosters trust in public institutions, ultimately contributing to more effective and equitable governance.

- Data Analysis and Decision Making: Mathematics enables governments to analyze vast amounts of data efficiently. Through statistical analysis and mathematical modeling, policymakers can make informed decisions on matters such as public health, education, and economic policies (Bertsimas & Paschalidis, 2008). For example, mathematical models are used in epidemiology to forecast disease outbreaks and evaluate the impact of different intervention strategies (Keeling & Rohani, 2011). By utilizing mathematical techniques, governments can identify trends, forecast future scenarios, and evaluate the effectiveness of different policy interventions.
- Resource Allocation and Budgeting: Mathematics provides the tools necessary for effective resource allocation and budgeting. Governments use mathematical models to allocate funds to different sectors based on priority and need. By employing mathematical optimization techniques, governments can maximize the impact of limited resources and ensure equitable distribution of public funds (Bradley et al., 2016). For instance, linear programming models are used in transportation planning to optimize routes and schedules, minimizing costs and maximizing service levels (Baker & Trietsch, 2009).
- Performance Measurement and Accountability: Mathematics helps governments measure the performance of public services and programs. Through the use of quantitative metrics and performance indicators, policymakers can assess the effectiveness and efficiency of government initiatives (Moynihan & Pandey, 2010). This allows for greater accountability and transparency, as decision-makers are held accountable for achieving specific targets and outcomes. For example, performance measurement frameworks such as the Balanced Scorecard are used in public sector organizations to align strategic objectives with key performance indicators (Kaplan & Norton, 1996)
- Risk Management and Policy Evaluation: Mathematics is essential for assessing and managing risks in governance. Governments use mathematical methods such as probability theory and risk analysis to identify potential risks and develop strategies to mitigate them (Kunreuther et al., 2001). Additionally, mathematical modeling allows policymakers to evaluate the potential impact of different policy options and unintended consequences anticipate before implementation. For instance, decision trees and Monte Carlo simulations are used in policy evaluation to assess the uncertainty and risk associated with different courses of action (Pidd, 2004).
- Election Systems and Voting Mechanisms: Mathematics plays a critical role in designing fair and effective election systems and voting mechanisms. Electoral systems are often based on mathematical principles to ensure proportional representation and minimize biases (Grofman & Lijphart, 2003). Moreover,

mathematical algorithms are used to count and tabulate votes accurately, maintaining the integrity of democratic processes. For example, the Single Transferable Vote system uses mathematical formulas to allocate votes and determine winners in multi-seat elections (Farrell & McAllister, 2006).

- Public Infrastructure Planning and Management: Mathematics is essential for planning and managing public infrastructure projects. Civil engineers and urban planners use mathematical modeling and optimization techniques to design transportation systems, utilities, and other critical infrastructure (Bell et al., 2004). By applying mathematical principles, governments can optimize resource allocation, minimize environmental impact, and enhance the resilience of infrastructure systems.
- Environmental Policy and Sustainability: Mathematics contributes to the formulation of environmental policies and sustainability initiatives. Mathematical models are used to analyze environmental data, predict the impact of human activities on ecosystems, and assess the effectiveness of conservation measures (Levin et al., 2002). By incorporating mathematical analyses into policymaking, governments can develop evidence-based strategies for addressing environmental challenges and promoting sustainable development.
- Law Enforcement and Criminal Justice: Mathematics is increasingly used in law enforcement and criminal justice systems to support decision-making and improve operational efficiency. Data analytics and mathematical algorithms are employed to analyze crime patterns, predict criminal behavior, and allocate law enforcement resources effectively (Ratcliffe, 2004). Additionally, mathematical methods such as game theory are used to model strategic interactions between law enforcement agencies and criminal organizations (Osborne & Rubinstein, 1994).
- and Strategies Military **Decision-Making:** Mathematics plays a crucial role in military planning and operations. Military commanders use mathematical models and algorithms to analyze terrain, predict enemy movements, and optimize troop deployments (Meyer & Kress, 2007). Operations research techniques such as game theory and optimization algorithms are employed to formulate strategic plans, allocate resources, and assess risks on the battlefield (Sands, 1992). By leveraging mathematical tools, governments can enhance their military capabilities, minimize casualties, and achieve their strategic objectives more effectively during times of conflict.

# WAEC Mathematics and How to Promote Optimal Performance in WAEC Examination

The West African Examinations Council (WAEC) Mathematics examination is a critical component of secondary education in West African countries. It serves as a benchmark for assessing students' understanding of mathematical concepts and their ability to apply these concepts to solve problems. Achieving optimal performance in WAEC Mathematics is essential for students as it significantly impacts their academic and career opportunities. To promote optimal performance in WAEC Mathematics, it is crucial to ensure that students have a solid foundation in the subject. This can be achieved through a well-structured curriculum that emphasizes both theoretical knowledge and practical application. Teachers should focus on building a strong conceptual understanding and developing problem-solving skills from an early stage. According to Boaler (2016), fostering a growth mindset in students can help them develop resilience and a positive attitude towards challenges in mathematics. Effective teaching methods are also vital for enhancing student performance. Research shows that interactive and student-centered approaches, such as collaborative learning and the use of manipulative, can significantly improve students' understanding and retention of mathematical concepts (Vygotsky, 1978). Teachers should employ a variety of instructional strategies to cater to different learning styles, making mathematics more accessible and engaging for all students (Tomlinson, 2001).

Regular and rigorous practice is another key factor in preparing students for the WAEC Mathematics examination. Practice helps to reinforce learning and build confidence. Teachers should provide students with ample opportunities to solve a wide range of problems, including past WAEC examination questions. This not only familiarizes students with the exam format and question types but also helps them develop effective problem-solving techniques (Brown & Cocking, 2000). Assessment and feedback play a crucial role in promoting optimal performance. Continuous assessment through quizzes, tests, and assignments can help identify areas where students struggle and provide timely intervention. Feedback should be constructive and focused on helping students improve. Black and Wiliam (1998) emphasize the importance of formative assessment in enhancing learning outcomes by guiding instructional decisions and supporting student progress.

Parental involvement and support are also important in fostering a conducive learning environment for students. Parents should be encouraged to take an active interest in their children's mathematical education, providing motivation and resources for study at home. Studies have shown that parental involvement can positively influence students' attitudes towards mathematics and their academic achievement (Maloney et al., 2015). Incorporating technology into mathematics instruction can further enhance learning and performance. Tools such as educational software, online resources, and interactive platforms can make learning more engaging and provide additional support for students. Technology can also facilitate personalized learning, allowing students to work at their own pace and receive immediate feedback (Pierce & Stacey, 2010). To achieve sustained improvement in WAEC Mathematics performance, there must be a concerted effort from all stakeholders, including governments, educational institutions, teachers, parents, and students. Governments should invest in professional development for mathematics teachers to ensure they are equipped with the latest pedagogical skills and knowledge. Adequate remuneration and timely payment of salaries can motivate teachers to deliver their best and commit to improving student outcomes (Ball, Thames, & Phelps, 2008).

In conclusion, promoting optimal performance in WAEC Mathematics requires a comprehensive approach that includes a solid curriculum foundation, effective teaching methods, regular practice, continuous assessment, parental involvement, and the integration of technology. By addressing these factors, we can create a supportive learning environment that enables students to excel in mathematics and achieve their full potential.

### Mathematics Laboratory

The concept of a mathematics laboratory is an innovative approach to teaching that emphasizes experiential and interactive learning. Unlike the traditional classroom setting that relies heavily on theoretical instruction; a mathematics laboratory is a dedicated space equipped with various tools, models, and technological resources designed to make learning mathematics more tangible and engaging. This approach aligns with constructivist educational theories, which advocate for learning through experience and active involvement (Tomlinson, 2001).

### Importance of Mathematics Laboratory

- Enhanced Understanding of Concepts: Mathematics laboratories play a crucial role in deepening students' understanding of complex mathematical concepts. By engaging in hands-on activities, students can visualize and manipulate mathematical objects, making abstract ideas more concrete. For example, geometric models can help students better understand properties and theorems related to shapes and spatial relationships (Hake, 1998).
- Development of Problem-Solving Skills: In a mathematics laboratory, students are encouraged to explore, experiment, and solve problems independently or in groups. This environment promotes critical thinking and analytical skills, shifting the focus from rote memorization to a deeper engagement with mathematical processes. This approach is essential for developing the problem-solving skills necessary for higher-level mathematics and real-world applications (Schoenfeld, 1985).
- Increased Student Engagement: Mathematics laboratories make learning more engaging and enjoyable. The interactive nature of lab activities can capture students' interest and enthusiasm, which is often lacking in traditional lecture-based classrooms. Increased engagement can lead to better learning outcomes and a more positive attitude towards mathematics (Boaler, 2008).
- Application of Technology: Mathematics laboratories often integrate technological tools such as graphing calculators, computer software, and interactive whiteboards. These tools enhance the learning experience by providing dynamic visualizations and simulations of mathematical concepts. The use of technology in the lab also prepares students for the increasingly digital nature of modern workplaces (Pierce & Stacey, 2010).
- Support for Diverse Learning Styles: Students have different learning preferences, and a mathematics laboratory can cater to this diversity. Visual learners benefit from models and diagrams, kinesthetic learners from hands-on activities, and auditory learners from discussions and explanations. This inclusive approach ensures that all students have the opportunity to succeed in mathematics (Tomlinson, 2001).
- Preparation for Examinations: Practical experience in a mathematics laboratory can be particularly beneficial for preparing students for examinations like the WAEC Mathematics exam. Regular practice with real-world problems and hands-on activities can boost confidence

and improve performance. Laboratories provide a setting for continuous assessment and feedback, which is crucial for exam readiness (Black & Wiliam, 1998).

### Equipment in Mathematics Laboratory

A well-equipped mathematics laboratory is essential for maximizing the benefits of this hands-on learning approach. Some key pieces of equipment and resources that should be included in a mathematics laboratory are:

- Geometric Models: These include various shapes, solids, and figures that help students understand geometric properties and theorems. Examples are polyhedra, spheres, cones, and pyramids.
- Manipulatives: Tools such as algebra tiles, number lines, abacuses, and base-ten blocks are essential for teaching arithmetic and algebraic concepts. These manipulatives make abstract ideas more accessible, especially for younger students.
- **Graphing Calculators and Software**: Technology is a critical component of modern mathematics education. Graphing calculators and software programs like GeoGebra and Desmos enable students to visualize and analyze mathematical functions and graphs interactively.
- Interactive Whiteboards: These tools allow for dynamic teaching and learning experiences. Interactive whiteboards can display simulations, videos, and interactive exercises, making lessons more engaging.
- Measurement Tools: Rulers, protractors, compasses, and measuring tapes are fundamental for teaching concepts in geometry and measurement. These tools help students perform accurate measurements and understand the practical applications of these skills.
- Statistical Tools: Tools such as statistical software and probability kits (e.g., dice, spinners, and cards) are essential for teaching statistics and probability. These tools help students conduct experiments and analyze data.
- Computers and Tablets: Access to computers and tablets can facilitate the use of educational software and online resources. These devices are also useful for coding and algorithm-based activities, which are increasingly important in the modern curriculum.

# Mathematics Laboratory and Its Role in Promoting Mathematics Research

Mathematics research involves the exploration, development, and application of mathematical theories and methods to solve problems and advance knowledge in various fields. It includes the creation of new mathematical models, theorems, and algorithms, as well as the application of existing mathematical techniques to novel situations. Mathematics research is critical in driving innovation and technological progress, as it provides the foundational tools and concepts necessary for advancements in science, engineering, economics, and numerous other disciplines. A mathematics laboratory, equipped with various tools and resources, serves as an essential environment for promoting mathematics research. This hands-on approach facilitates deeper understanding, encourages innovation, and supports rigorous analysis in mathematical studies. The following paragraphs discuss how a mathematics laboratory can enhance research in the field of mathematics.

### Enhancing Conceptual Understanding and Visualization:

Mathematics laboratories are equipped with geometric models, manipulatives, graphing calculators, and software that allow researchers to visualize complex mathematical concepts. Visualization aids in understanding abstract ideas, making it easier to develop and test new hypotheses. For instance, dynamic software like GeoGebra allows researchers to manipulate variables and observe the outcomes in real-time, thus fostering a deeper understanding of geometric and algebraic relationships (GeoGebra, 2020). Such tools are invaluable in research as they provide concrete representations of abstract theories.

# Facilitating Experimentation and Simulation:

Mathematics laboratories enable researchers to conduct experiments and simulations, which are crucial for testing theoretical models and hypotheses. Statistical tools and software programs like MATLAB and R are often used to analyze large datasets, run simulations, and perform complex calculations that are impractical to do by hand (MATLAB, 2021). These resources support the iterative process of hypothesis testing, validation, and refinement, which is at the core of mathematical research.

### • Encouraging Collaborative Research:

Mathematics laboratories provide a collaborative space where researchers can work together, share ideas, and provide peer feedback. This collaborative environment is essential for tackling complex problems that require diverse perspectives and expertise. Studies have shown that collaboration in research can lead to more innovative solutions and a higher quality of output (Wuchty, et al 2007). A well-equipped laboratory fosters a culture of collaboration and knowledge sharing, which is critical for advancing mathematical research.

# • Supporting Interdisciplinary Research:

Modern mathematical research often intersects with other disciplines such as physics, computer science, and engineering. A mathematics laboratory equipped with versatile tools can support interdisciplinary research by providing the necessary resources for modeling and solving problems that span multiple fields (National Research Council, 2013). For example, mathematical models in epidemiology benefit from simulations and statistical analysis tools available in a mathematics laboratory, which help in understanding the spread of diseases and the impact of interventions (Diekmann, et al, 2012).

• **Developing and Testing New Educational Methods:** Mathematics laboratories also serve as testing grounds for new educational methods and technologies. By experimenting with different teaching aids and approaches in a controlled environment, researchers can develop more effective strategies for mathematics education. This aspect of research is crucial for improving the quality of mathematics teaching and learning, which in turn, contributes to a stronger foundation for future mathematical research (Boaler, 2016).

#### Providing Access to Advanced Computational Tools:

Access to advanced computational tools and high-performance computing resources in a mathematics laboratory enables researchers to tackle large-scale problems and perform complex calculations. These tools are essential for research in areas such as cryptography, numerical analysis, and computational fluid dynamics, where traditional analytical methods may be insufficient (Borwein & Bailey, 2008). High-performance computing allows for the simulation of phenomena that are too complex for manual calculation, thereby expanding the scope and depth of mathematical research.

By integrating these elements into the research process, mathematics laboratories not only enhance the quality and efficiency of mathematical investigations but also foster a culture of innovation and collaboration. This multifaceted approach ensures that mathematical research can address complex and interdisciplinary problems, ultimately contributing to scientific and technological advancements.

### DISCUSSION

The article "Everyday Uses of Mathematics and the Roles of Mathematics" highlights the pervasive significance of mathematics in our daily lives and its pivotal roles across various domains. Through a comprehensive introduction to mathematics, the article aims to demystify misconceptions and alleviate the fear associated with this subject. We emphasized its practical applicability beyond the classroom. The roles of mathematics teachers are underscored as crucial in nurturing students' understanding and appreciation of mathematical concepts, fostering a positive learning environment conducive to overcoming mathematical phobia. the article delves into the multifaceted contributions of mathematics to promoting good governance, emphasizing its role in decision-making, problem-solving, and fostering analytical thinking among policymakers and citizens alike.

Addressing the challenges posed by examinations such as WAEC Mathematics, the article provides insights into strategies for achieving optimal performance, emphasizing the importance of consistent practice, effective study techniques, and the utilization of resources such as mathematics laboratories. The significance of mathematics laboratory in facilitating hands-on learning experiences and promoting research in mathematics cannot be overstated. The article underscores the pivotal role of these laboratories in fostering experimentation, exploration, and innovation within the realm of mathematics education.

mathematics serves as the cornerstone of scientific and technological progress, with far-reaching implications for society. As such, governments have a responsibility to prioritize mathematics education and support teachers in promoting its importance. By investing in professional development programs, providing resources for innovative teaching methods, and fostering collaboration between educators and industry experts, governments can empower teachers to instill a passion for mathematics in their students. Furthermore, integrating mathematics into governance processes can lead to more informed decision-making and effective policy implementation. Governments should leverage mathematical models and data analysis techniques to address societal challenges, optimize resource allocation, and promote transparency and accountability. In doing so, they can harness the power of mathematics to drive socioeconomic development and improve the quality of life for their citizens.

Overall, the article serves as a comprehensive guide to understanding the everyday uses of mathematics and underscores the critical roles it plays in shaping our society, governance, and educational landscape. Through collaborative efforts and proactive measures, we can strive towards a future where mathematics is embraced, celebrated, and leveraged to drive positive change and innovation in all spheres of life.

#### RESULTS

- Investment in Teacher Training: Government should allocate resources for comprehensive professional development programs to enhance teachers' pedagogical skills and subject knowledge in mathematics.
- Promotion of Interdisciplinary Learning: Encourage collaboration between mathematics teachers and educators from other disciplines to integrate mathematical concepts into diverse subject areas and demonstrate their real-world applications.
- 3. Support for Innovative Teaching Methods: Government should provide funding for the development and implementation of innovative teaching methods, such as project-based learning, inquiry-based instruction, and technology integration, to enhance student engagement and understanding of mathematics.
- Incentives for Teacher Excellence: Establish recognition programs and incentives to reward outstanding mathematics teachers and encourage continued professional growth and excellence in the field.
- Integration of Mathematics in Governance: Foster partnerships between government agencies, academic institutions, and industry stakeholders to leverage mathematical models and data analysis techniques for evidence-based policymaking and effective governance.
- Public Awareness Campaigns: Launch public awareness campaigns to highlight the importance of mathematics education and its relevance to everyday life, career opportunities, and societal progress.
- Equitable Access to Resources: Ensure equitable access to quality mathematics education by providing adequate resources, including textbooks, teaching materials, and technology infrastructure, particularly in underserved communities.
- Research and Development Initiatives: Invest in research and development initiatives to advance mathematical education pedagogy, curriculum design, and assessment practices, with a focus on addressing emerging challenges and opportunities in the field.
- International Collaboration: Facilitate international collaboration and knowledge exchange among educators, policymakers, and researchers to share best practices, benchmark performance, and promote continuous improvement in mathematics education.
- 10. **Community Engagement:** Encourage community engagement initiatives that involve parents, local businesses, and community organizations in supporting mathematics education and promoting mathematical literacy among learners of all ages.

# Conclusion

Mathematics education is crucial for equipping individuals with the skills needed to succeed in today's society (Ball et al., 2008). Governments must prioritize mathematics education and support teachers in promoting its relevance and applicability (Boaler, 2016). By investing in professional development programs (Guskey,

2000), promoting interdisciplinary learning, and integrating mathematics into governance processes, governments can ensure that citizens are equipped with the mathematical skills necessary for personal, professional, and civic success. Additionally, public awareness campaigns, equitable access to resources, and international collaboration can further enhance mathematics education and its impact on society (NCTM, 2000). Ultimately, by fostering a culture of mathematical literacy and providing adequate support and motivation for teachers, governments can empower individuals to make informed decisions, solve complex problems, and contribute to the advancement of society as a whole

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